

30/8/25

Linked List.

Node

Value		5	4	3		
Addr		\$0	\$4	\$8	...	
		0	1	2		

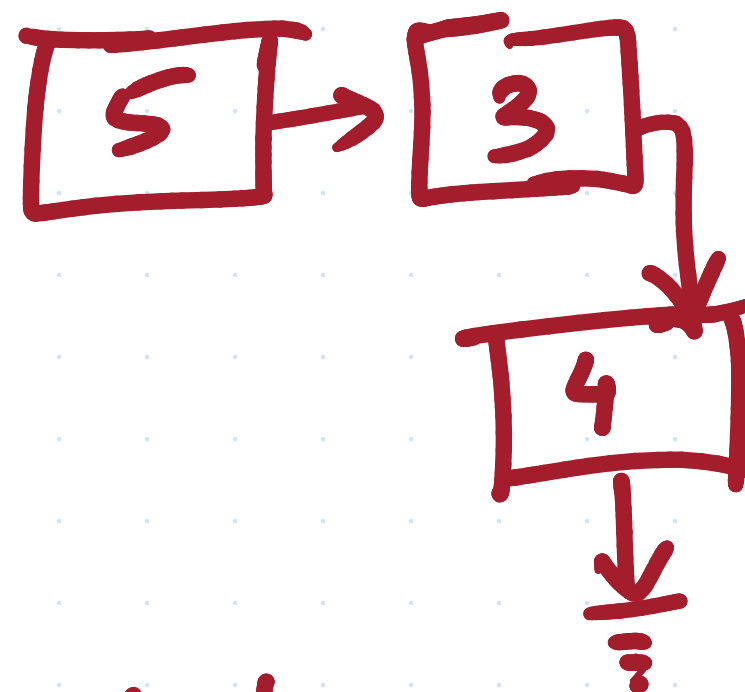
List Node	
value	next

4



List Node	
5	next

Value		5	4	3	
address		\$0	\$4	\$8	



The order in the actual memory will be inconsistent with the references in the linked list.

Head.



List Node 1	
red	

tail.



List Node 2	
blue	



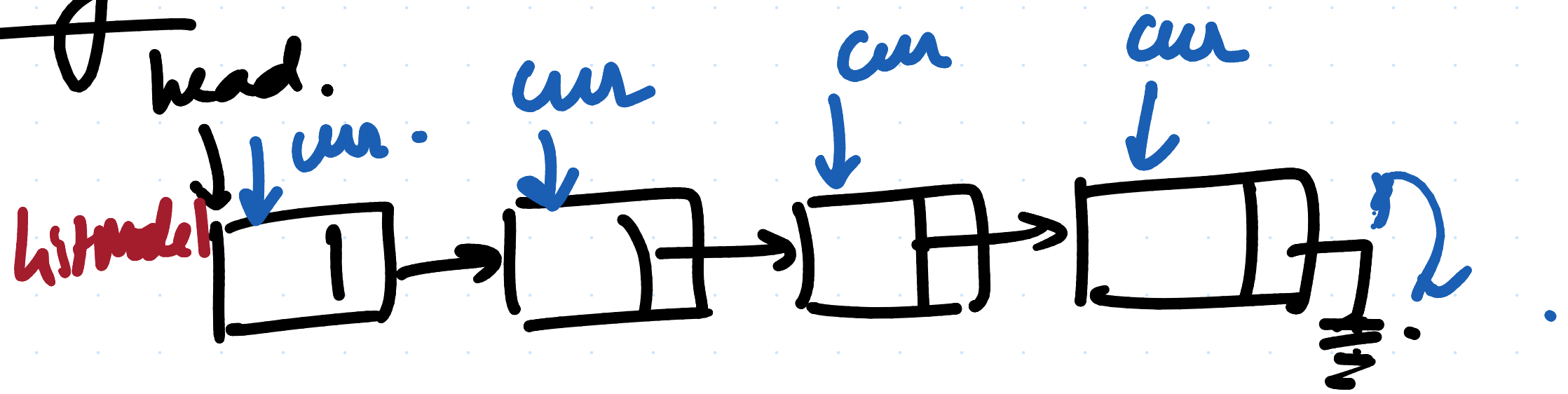
List Node 3	
green	



List Node 1. next = List Node 2
List Node 2. next = List Node 3
List Node 3. next = None.

Tail - references the object of List Node type.

Arrays are stored in the same way as they are indexed (in the memory); But linked lists are not stored in the same way in the memory.



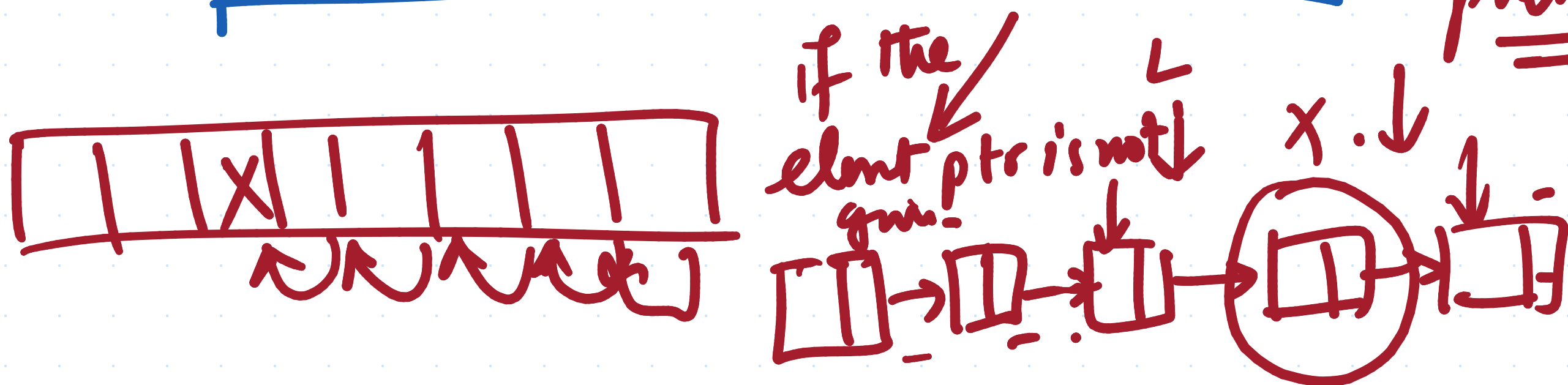
We want to start at the beginning of the linked list and loop to the end of the linked list.

```
cur = ListNode1  
while cur != null:  
    cur = cur.next
```

What is the final value of cur pointer?

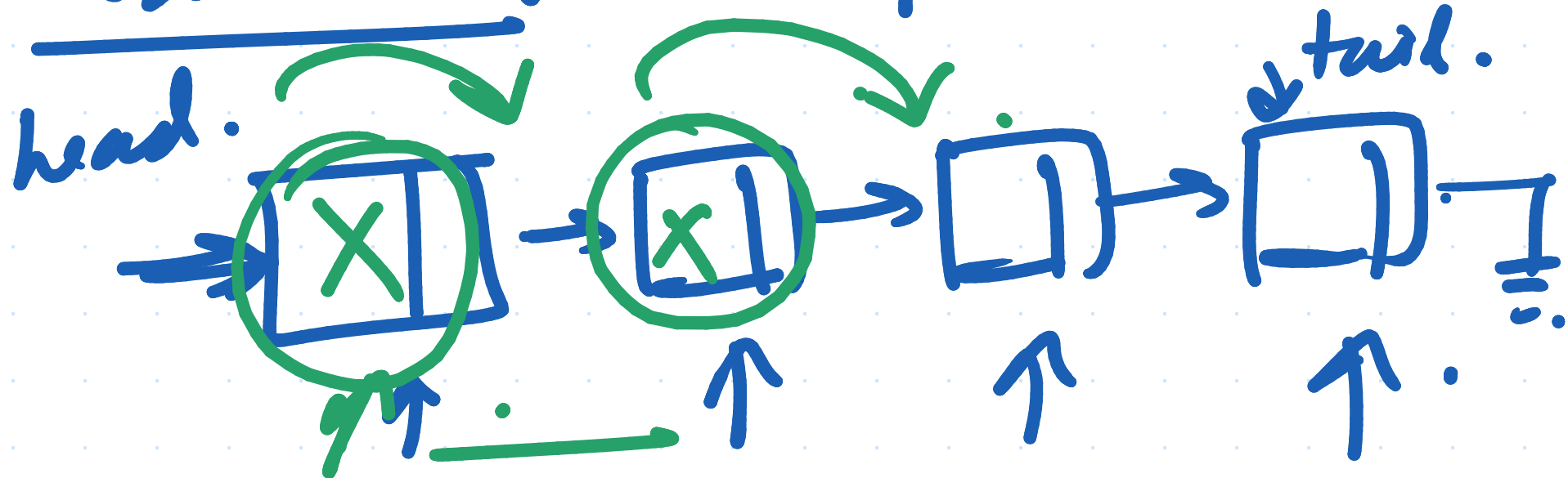
null.

	Arrays	Linked List.
Operation	Big-O-time	Big-O-time.
Access the i th element	$O(1)$	$O(n)$
Insert/ Remove end	$O(1)$	$O(n) \rightarrow$ if tail is not given. $O(1) \rightarrow$ if tail is given.
Insert/ remove middle.	$O(n)$	$O(1) \rightarrow$ when the pointer is present. $O(n)$



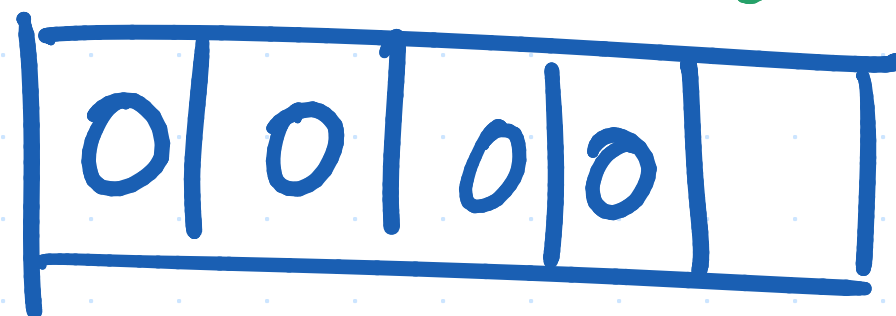
Queues:

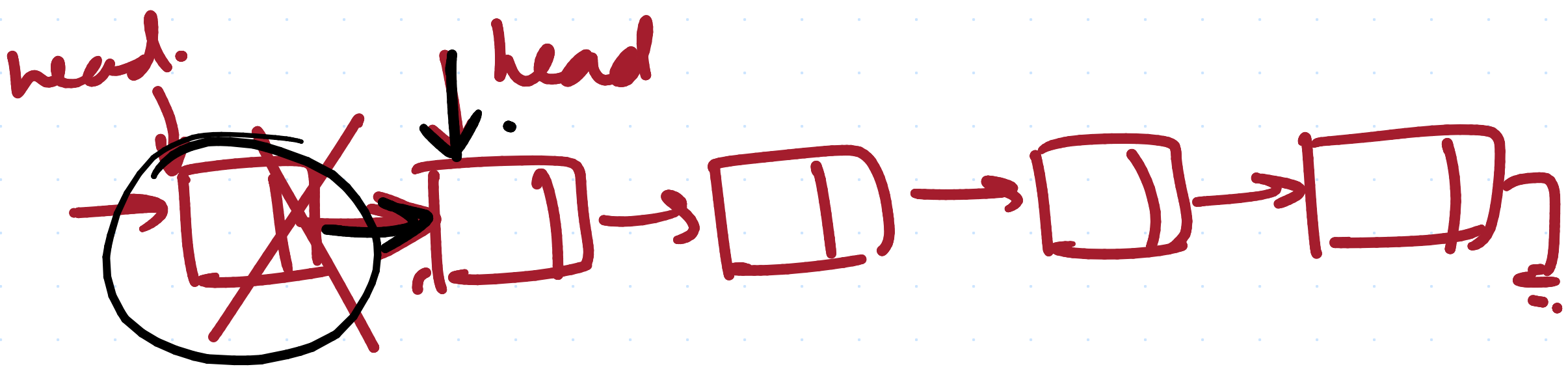
First in First Out.



function: $head = head \rightarrow next$

Queue is similar / simulated using linked list.



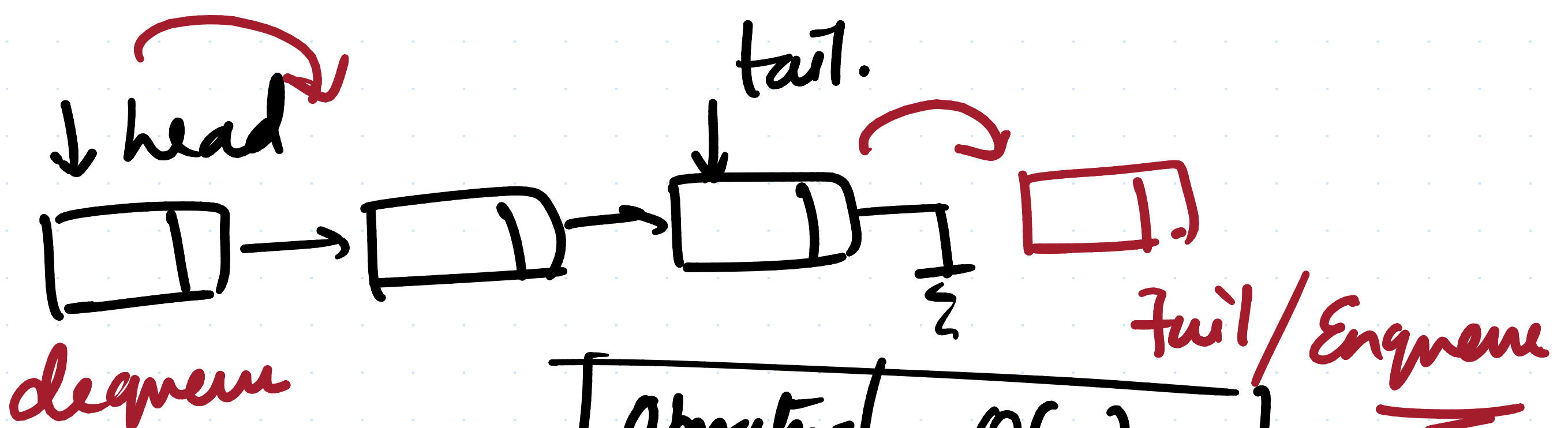


OS Garbage collector / programming lang
garbage collector.
will take care of these issues.

Enqueue : add the element.

Dequeue : remove the element.

The elements are to be removed in the
same order that they were added.



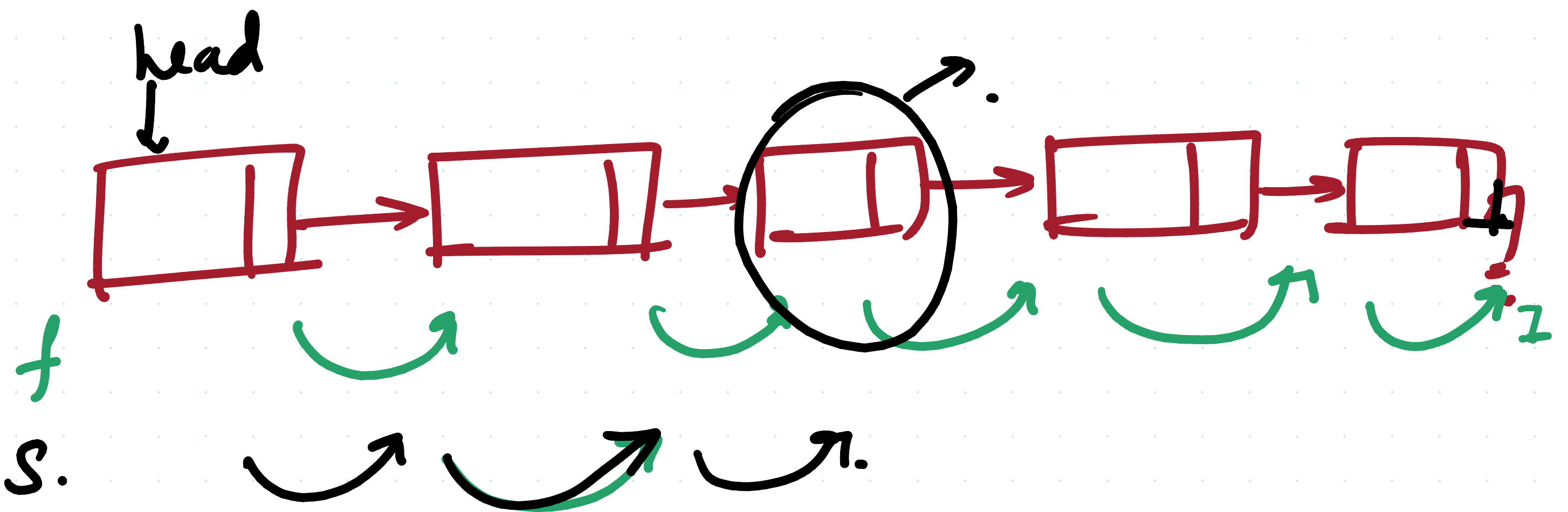
Opn-	$O(n)$
Enqueue	$O(1)$
Dequeue	$O(1)$

So, we can implement queues with arrays, but it can get a lot more complicated; (we have to shift & add & there are fixed no. of elements in the array,) hence we use linked list for

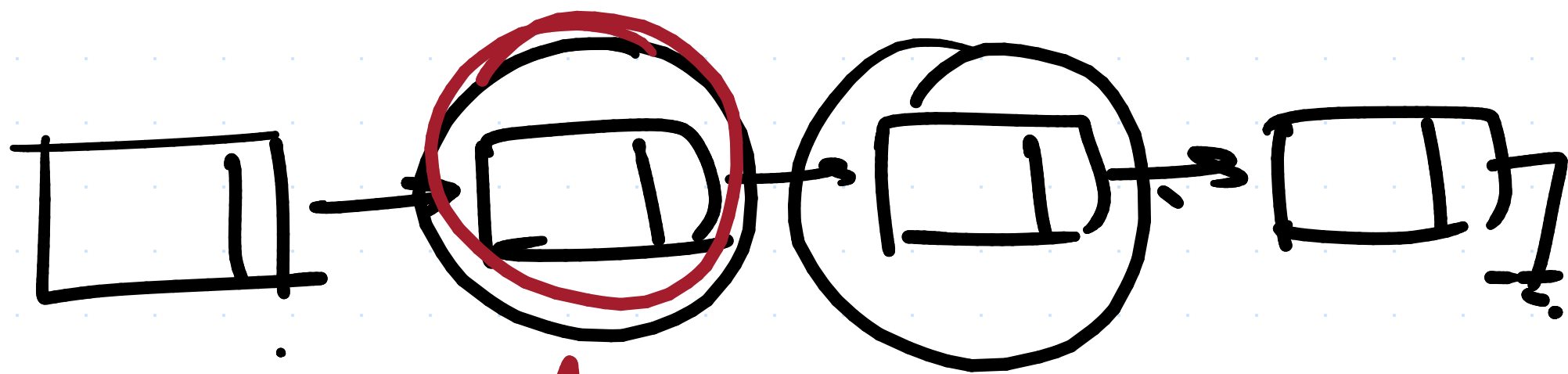
Queues.

Floyd's tortoise & Hare algorithm.

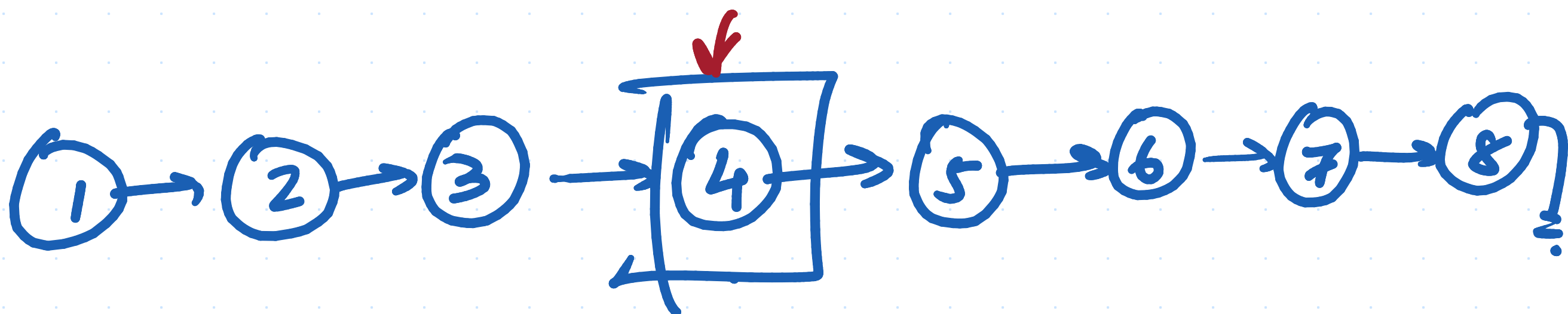
Q) Find the middle of the linked list; in one go.



odd no. of elements.



first one is the middle.



Time Complexity of this operation

Time $O(n)$; Space $\rightarrow O(1)$ $O(n)$.

def middle of List (head):

slow, fast = head, head

while fast and fast.next:

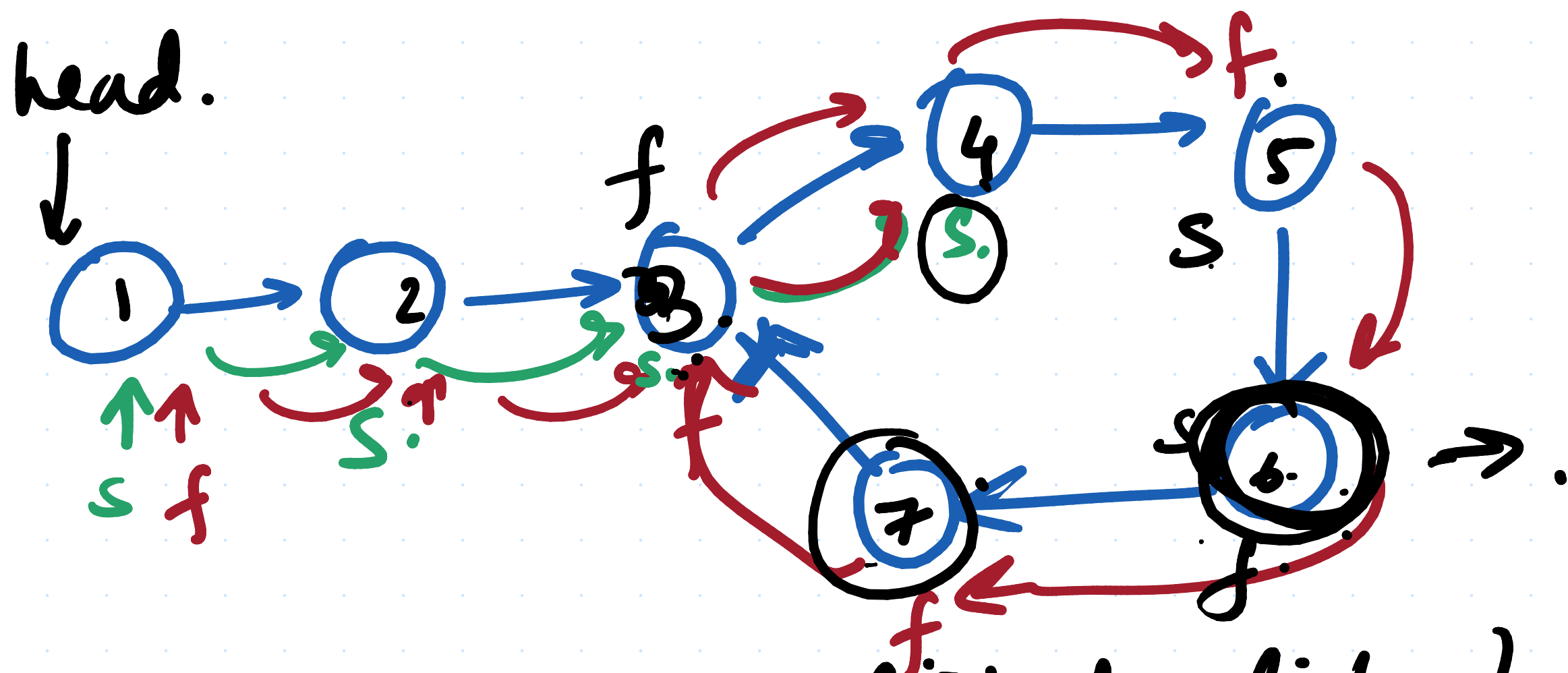
slow = slow.next

fast = fast.next.next.

return slow. # midpoint.

return slow, slow.next.

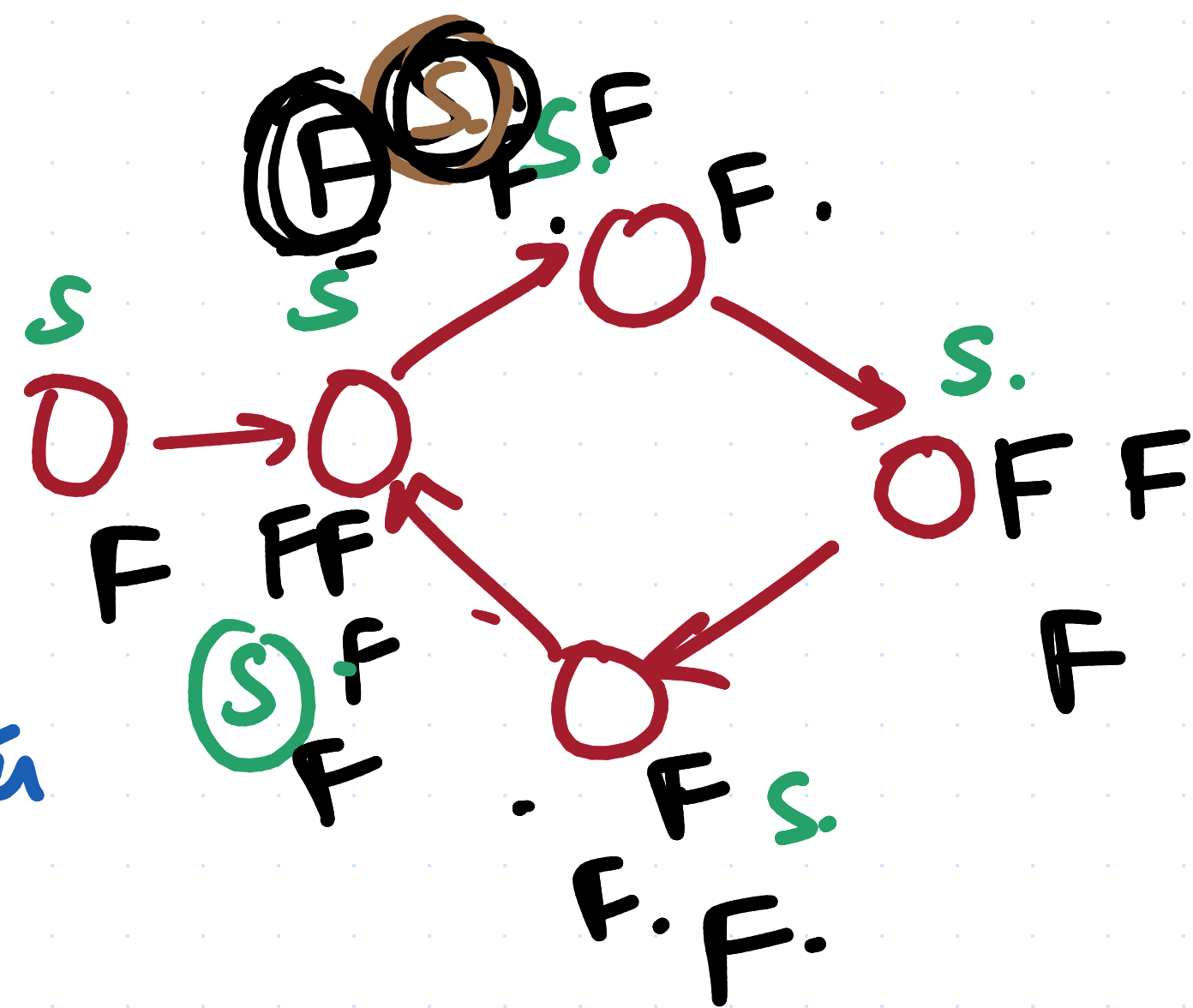
This works in empty linked list too.



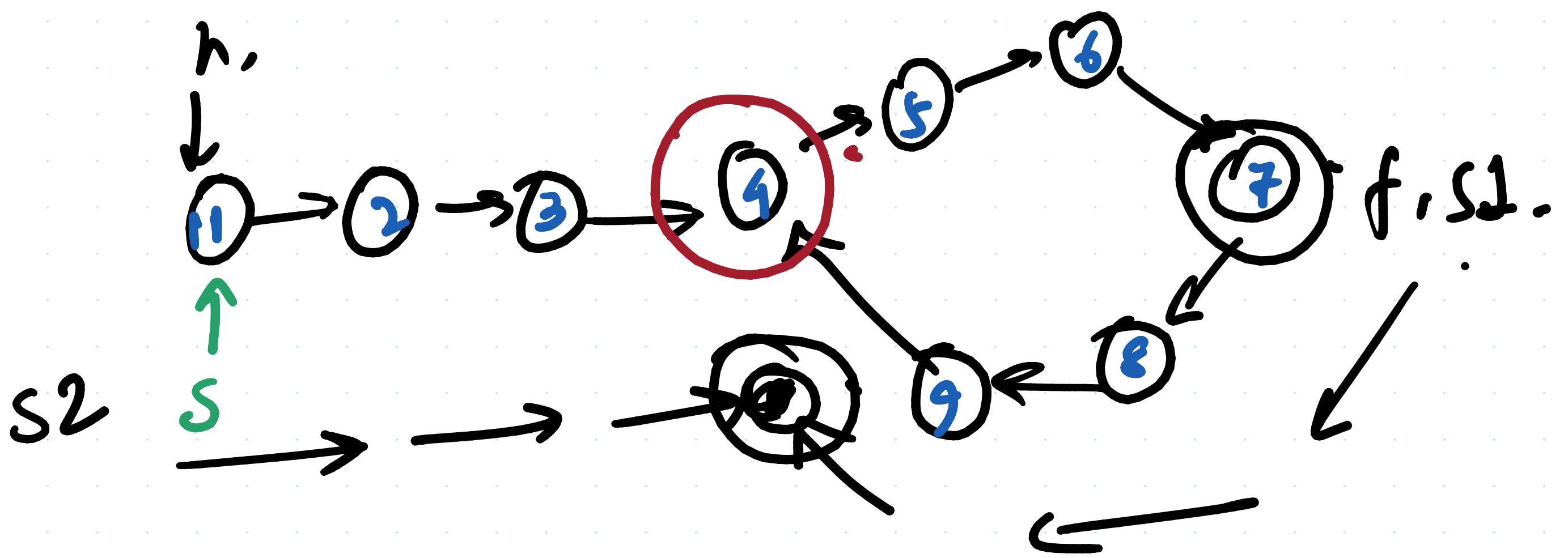
check whether the linked list has
cycle in it?

downwards $\rightarrow$ $O(n)$

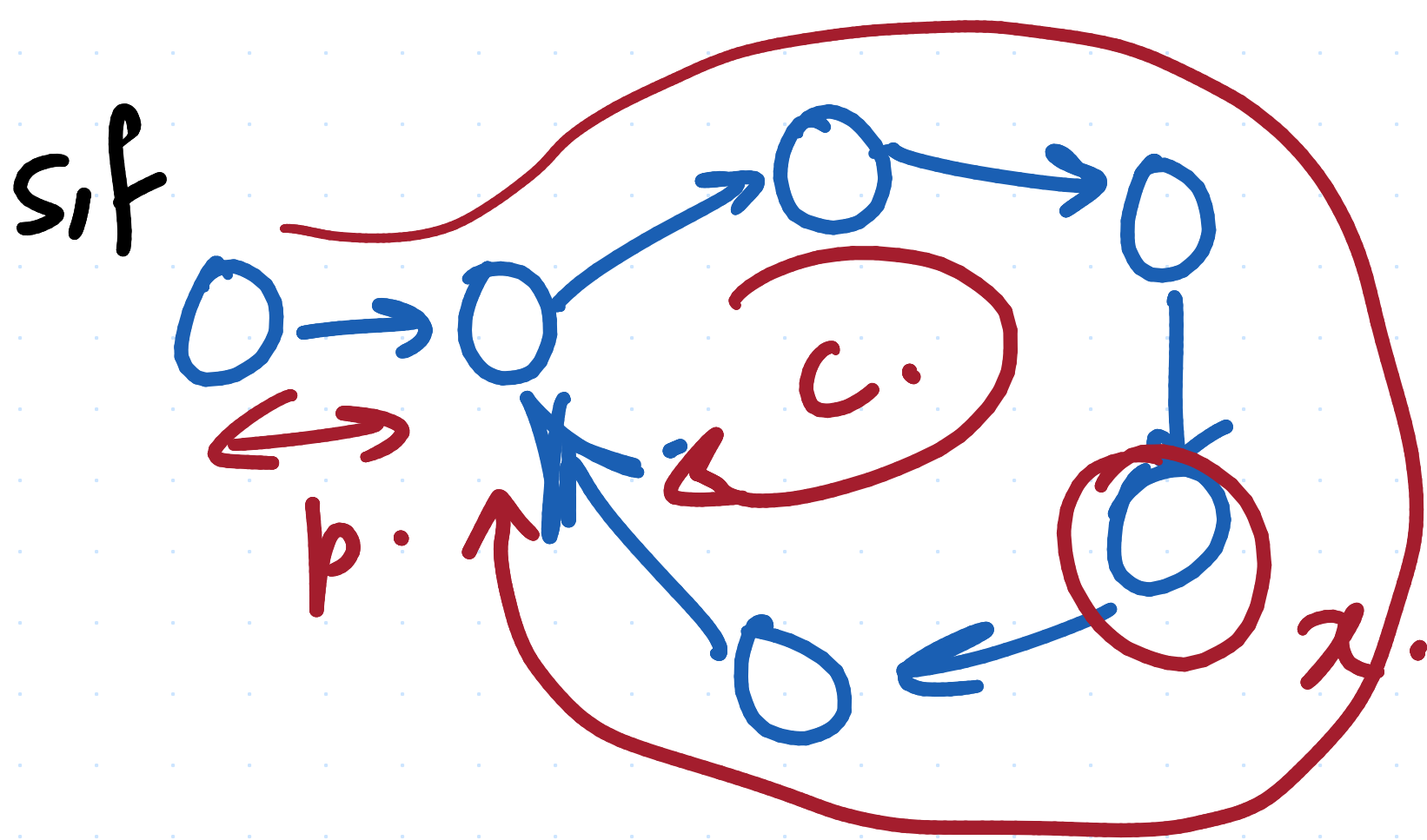
If there are slow
and fast pointers,
they will be equal after
some time.



& when they are equal we know
that there is a cycle.



slow & fast pointer starting from head.
 when they intersect; we will
 start another slow pointer from the
 head & we will see where they meet.
 will be the begin of the cycle.



cycle of length
 C
 starting of cycle
 to head = p .

$2 \times \text{slow} = \text{fast}.$

$$2x(p + C - x) = p + (C - x) + C.$$

$\therefore p = x.$

$O(n)$ time & $O(1)$ space.

```
def cycleStart(head):
```

```
    slow, fast = head, head
```

```
    while fast & fast.next:
```

```
        slow = slow.next
```

```
        fast = fast.next
```

```
        if slow == fast:
```

```
            break
```

detect
the loop.

```
    if not fast or not fast.next:
```

```
        return None
```

```
    slow2 = head.
```





while slow != slow2:

slow = slow.next.

slow2 = slow2.next.

return slow.

second phase
to find the
beginning of the cycle.

cycle.